Determine if the statement is ALWAYS or SOMETIMES or NEVER true.

- 1. Always parallelograms are a subset of quadrilaterals, so every parallelogram must be a quadrilateral.
- 3. Always this is a property of parallelograms, so it must always be true.
- 5. Never any four sided polygon only has two diagonals. For example, ABCD has three lengths that come out of point A: AB, AC, and AD. Since AB and AD are sides to the quadrilateral, the only one that is a diagonal is AC. So, when you draw a line segment from each point to every other point in a quadrilateral, you will always get four sides and two diagonals.
- 7. Always this is a parallelogram property, so it is always true for a parallelogram.
- 9. Never consecutive angles of a parallelogram are supplementary (add up to 180°), so they can never be complementary (add up to 90°).
- 11. Never opposite angles of a parallelogram have to be supplementary (sum to 180°), so they can never be complementary (sum to 90°).
- 13. Always because squares are a subset of rhombii.
- 15. **Sometimes** squares are a subset of rectangles, so only some rectangles are squares.
- 17. **Sometimes** because rectangles are a subset of parallelograms.
- 19. Always because rhombii are a subset of parallelograms.
- 21. Always because squares are a subset of paralellograms, and this is a parallelogram property.
- 23. Always because this is a rectangle property.
- 25. **Sometimes** this is a rhombus property, so it is true only for those rectangles that are also a rhombus.
- 27. Always because it is a rhombus property that all sides are congruent.
- 29. **Sometimes** this is a rectangle property, so it will be true for any parallelogram that is a rectangle.

- 2. **Never** parallelograms and trapezoids are mutually exclusive, so one can never be the other.
- 4. **Sometimes** this is a rectangle property, so it is only true when the parallelogram is a rectangle.
- 6. Always take ABCD. Since it is a parallelogram we know that AB = CD and BC = AD. These are two corresponding sides of $\triangle ABC$ and $\triangle DAC$. Since the remaining side for both sides is AC, the two triangles have to be congruent by SSS Theorem.
- 8. **Sometimes** this is a rhombus property, so it will only be true for a parallelogram when that figure is also a rhombus.
- 10. **Sometimes** opposite angles are congruent for every parallelogram, but they can also be supplementary when the angles are 90, which occurs when the figure is a rectangle.
- 12. Always because this is a parallelogram property.
- 14. **Sometimes** squares are a subset of rhombii, so this is true only when the rhombus is also a rectangle.
- 16. Always since squares are a subset of rectangles.
- 18. Always because squares are a subset of parallelograms.
- 20. **Sometimes** because the set of rhombii and the set of rectangles are intersecting sets.
- 22. **Sometimes** this is a rectangle property, so it is true only for those parallelograms that are a rectangle.
- 24. Always because this is a rhombus property.
- 26. **Sometimes** in a rhombus, these angles are supplementary. But, they will be congruent in those rhombii that are also a rectangle.
- 28. Always because this is a parallelogram property, and every rectangle is a parallelogram.