## KEY

Determine the math model (equation) for the contextual problem, then solve the problem. All problems assume that the first year is when t = 0.

- 1.  $A(t) = 100(0.85)^t$   $A(12) \approx 14.22\%$ assume intitial amount is 100, because asked for answer in percentage
- 3.  $A(t) = 100(0.70)^t$   $A(7) \approx 8.235\%$  1t = 4 days assume intitial amount is 100, because asked for answer in percentage
- 5.  $A(t) = 100(0.50)^t$   $A(48) \approx 3.553 \text{ x } 10^{-13}\%$  1t = 30 minutesassume intitial amount is 100, because asked for answer in percentage
- 7.  $A(t) = 100(0.50)^t$   $A(8) \approx 0.3906\%$  1t = 1 week assume intitial amount is 100, because asked for answer in percentage
- 9.  $A(t) = 24,000(0.88)^t$  $A(12) \approx $5176$

- .  $A(t) = 100(0.92)^t$   $A(96) \approx 0.03339\%$  1t = 15 minutes assume intitial amount is 100, because asked for answer in percentage
- 4.  $A(t) = 100(0.95)^t$   $A(54) \approx 6.267\%$  1t = 20 minutes assume intitial amount is 100, because asked for answer in percentage
- 6.  $A(t) = 100(0.50)^t$   $A(10) \approx 0.09766\%$  1t = 3 days assume intitial amount is 100, because asked for answer in percentage
- 8.  $A(t) = 100(0.50)^t$   $A(36) \approx 1.455 \times 10^{-9}\%$  1t = 2 hours assume intitial amount is 100, because asked for answer in percentage
- 10.  $A(t) = 40,000(0.86)^t$  $A(10) \approx $8852$